Numerical Quality Control for DFT-based Materials Databases

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Density-functional theory (DFT) has become an invaluable tool in materials science. Recently, the precision of different approaches has been scrutinized for the PBE functional using extremely accurate numerical settings [1]. However, little is yet known about code- and method-specific errors that arise under more commonly used numerical settings, e.g, in *high-throughput* calculations. This constitutes a severe issue, since it prevents repurposing DFT data created using different settings and/or codes, for instance the calculations stored in the NOMAD [2] or other repositories [3,4,5].

To overcome this, we study the convergence of different properties (geometries, total and relative energies) in four conceptually-different DFT codes (exciting, FHI-aims, GPAW, and VASP) for typical settings used in production calculations. Specifically, we discuss relative and absolute errors as a function of the numerical settings, e.g., basis sets and **k**-grids, for 71 elemental solids [1]. Using this data, we propose an analytical model that allows for error estimates for *any* compound, as we explicitly demonstrate for 73 binary and ternary solids. We show how the developed formalism can be incorporated into electronic structure theory databases so that data created using different settings and/or codes becomes quantitatively comparable [6], e.g., so to use it in machine-learning approaches. Eventually, we discuss the extensibility of our approach towards more complex materials properties.

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